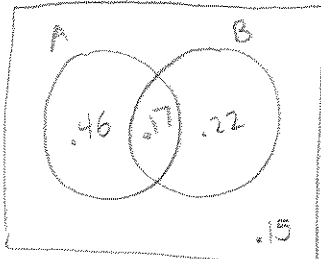


Module 4 Regents Review – Probability and Statistics

1. If $P(A) = 63%$ $P(B) = 39%$ $P(A \text{ and } B) = 17%$

a. Draw a Venn diagram and a hypothetical 1000 two way table to represents this information



	B	Not B	Total
A	170	460	630
Not A	220	150	370
Total	390	610	1000

b. Find $P(A | B)$

$$\frac{170}{390} \approx .436$$

c. Find $P(B | A)$

$$\frac{170}{630} \approx .270$$

d. Find $P(A \text{ or } B)$

$$\frac{170 + 460 + 220}{1000} = .85$$

e. Are **A and B** independent events? Explain.

$$P(A) \neq P(A|B)$$

$$.63 \neq .436$$

OR

$$P(B) \neq P(B|A)$$

$$.39 \neq .270$$

OR

$$P(A \text{ and } B) \neq P(A) \cdot P(B)$$

$$.17 \neq (.63)(.39)$$

$$.2457$$

A and B are not independent because these probabilities are NOT equal

2. Two versions of a standardized test are given an April and a May version. The statistics for the April version show a mean score of 510 and a standard deviation of 20. The statistics for the May version score of 515 and a standard deviation of 24. Assume the scores are normally distributed. Jack took the April version and scored in the interval 550-590. What is the probability, to the nearest ten thousandth that a test paper selected at random from the April version scored in the same interval?

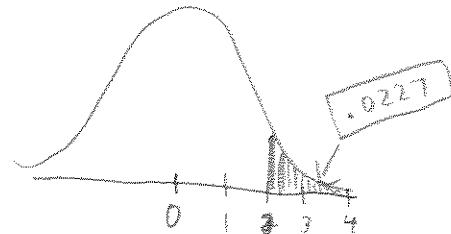
APRIL
 mean = 510
 SD = 20
 Normal

MAY
 mean = 515
 SD = 24
 Normal

Jack - April
 550-590

$$z = \frac{550 - 510}{20} = 2$$

$$z = \frac{590 - 510}{20} = 4$$



Jill took the May version of the test, in what interval must she have scored to claim that she scored as well as Jack?

Jill - May

$$2 = \frac{X - 515}{24}$$

$$48 = X - 515$$

$$563 = X$$

$$4 = \frac{X - 515}{24}$$

$$611 = X$$

Interval
 563-611

Green Review Book Questions

Test 5 #18

$2 \cdot 2 \cdot 2 \cdot 2 = 16$
poss.

- *BBGG *GGBB
- *BGBG *GBGB
- *BGGG *GBBG
- BBBB GGGG
- BBBG GGGB
- BBGB GGGB
- BGBB GBGG
- GBBB BGGG

$\frac{6}{16} = \frac{3}{8}$
CHOICE (1)

Test 6 #1

	Female	Male	Total
Insta	216	172	388
NoInsta	54	68	122
Total	270	240	510

$P(\text{Instashop} | \text{female}) = \frac{216}{270} = .8$
CHOICE (1) 80% / conditional Prob

Test 6 #7

$P(\text{brown}) = .65$ $P(\text{not brown}) = .35$

$P(\text{not brown, not brown}) = (.35)(.35) = .1225$
CHOICE (3)

Test 6 #9

	Neg Parent	Not neg Parent	Total
Neg Peer	80	80	160
Not Neg Peer	270	570	840
Total	350	650	1000

CHOICE (3)

$P(\text{neg parent or neg peer}) = \frac{80+80+270}{1000} = \frac{430}{1000} = .43$

Test 6 #18

$P(\text{MAC}) = .12$ $P(\geq 2 \text{TV's}) = .72$

✓
Independent

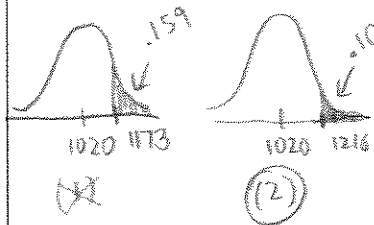
$P(\text{MAC and } \geq 2 \text{TV's}) = (.12)(.72) = .0864$

CHOICE (1)

Test 6 #19

mean = 1020

SD = 153



Test 6 #24

BAD QUESTION

Test 6 #29

	Female	Male	Total
sport	85	165	250
NOsport	255	495	750
Total	340	660	1000

(a) Male and sports Indep?

$P(\text{male}) = P(\text{male} | \text{sports})$

$.66 = .66$

so, Independent

(b) $P(\text{no sport} | \text{female}) = \frac{255}{340} = .75$

Conditional because we are only choosing from the females.